

# **Bargaining over Babies**

**Theory, Evidence, and Policy Implications**

Matthias Doepke and Fabian Kindermann

## How Babies are Made



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# The Question

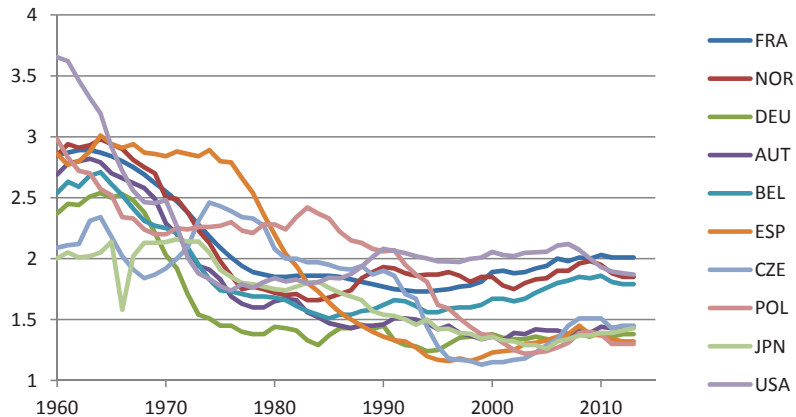
- ▶ It takes two people to make a baby
- ▶ **Agreement** should be essential for fertility
- ▶ Mother **and** father have to prefer baby over status quo
- ▶ **Question:**  
Is agreement important for understanding fertility choice?

# The Plan

- ▶ Document **importance of agreement** using **new data** on
  - ▶ fertility preferences and
  - ▶ fertility outcomes
- ▶ Build a model that is **consistent** with the data
- ▶ **Match** the model to the data
- ▶ Derive stark **policy implications** for low-fertility countries

# The Western World's Fertility Crisis

Total fertility rate by country





## Relationship to Literature

- ▶ Large differences in desired fertility between men and women in developing countries (e.g. Westoff 2010)
- ▶ Experimental evidence suggests important role for household bargaining (e.g. Ashraf, Field, and Lee 2014)
- ▶ Limited theoretical literature on bargaining over fertility; Rasul (2008) is closest

## The Data

# Generations and Gender Programme (GGP)

- ▶ Longitudinal Survey of 18-79 year olds in 19 countries
- ▶ Wave I (2003-2009):
  - ▶ *Do You Yourself Want Another Baby Now?*
  - ▶ *Does Your Partner Want Another Baby Now?*
- ▶ Wave II (2007-ongoing): *Fertility Outcomes*

# GGP Data on Fertility Intentions

- ▶ Four possible states for a couple:
  - ▶ Neither wants a baby
  - ▶ Both want a baby (AGREE)
  - ▶ She wants a baby, he does not (SHE YES/HE NO)
  - ▶ He wants a baby, she does not (SHE NO/HE YES)

# GGP Data on Fertility Intentions

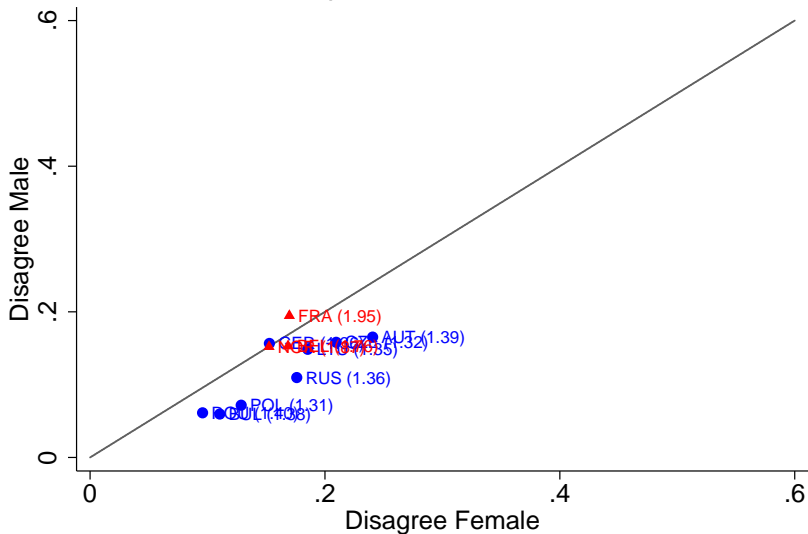
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  - ▶ She wants a baby, he does not (SHE YES/HE NO)
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- ▶ AGREE + SHE YES/HE NO + SHE NO/HE YES  
→ POTENTIALS

Fact 1:

There is a lot of disagreement within couples

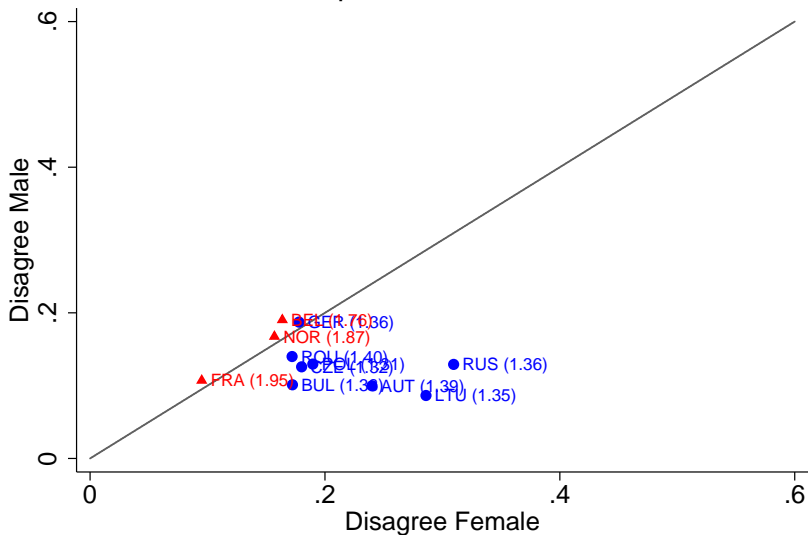
# GGP Data on Fertility Intentions: No Children

## Couples Without Children



# GGP Data on Fertility Intentions: One Child

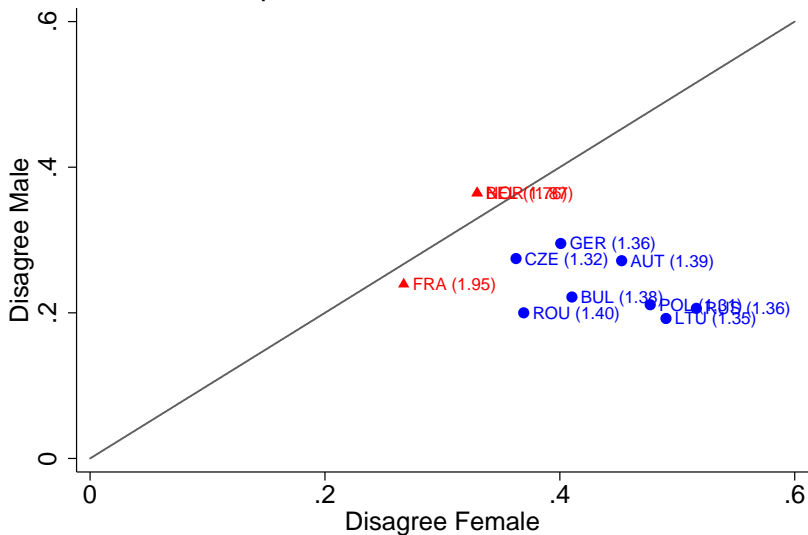
## Couples With One Child





# GGP Data on Fertility Intentions: Two Children

## Couples With Two or More Children



Fact 2:

Agreement matters for fertility

## GGP Data on Fertility Intentions and Outcomes

- ▶ Fertility outcomes available for Austria, Bulgaria, Czech Republic, France, Germany, Lithuania, and Russia
- ▶ Regress birth outcome on constant, SHE YES/HE NO, SHE NO/HE YES, and AGREE
- ▶ Result for couples with **no children**:

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	Coefficient	Std. Error
SHE YES/HE NO		
SHE NO/HE YES		
AGREE		

---

## GGP Data on Fertility Intentions and Outcomes

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- ▶ Regress birth outcome on constant, SHE YES/HE NO, SHE NO/HE YES, and AGREE
- ▶ Result for couples with **no children**:

	Coefficient	Std. Error
SHE YES/HE NO	0.02	(0.04)
SHE NO/HE YES	0.05	(0.03)
AGREE	0.24***	(0.02)

## GGP Data on Fertility Intentions and Outcomes

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- ▶ Regress birth outcome on constant, SHE YES/HE NO, SHE NO/HE YES, and AGREE
- ▶ Result for couples with **one child**:

	Coefficient	Std. Error
SHE YES/HE NO	0.13***	(0.04)
SHE NO/HE YES	-0.04*	(0.02)
AGREE	0.27***	(0.02)

## GGP Data on Fertility Intentions and Outcomes

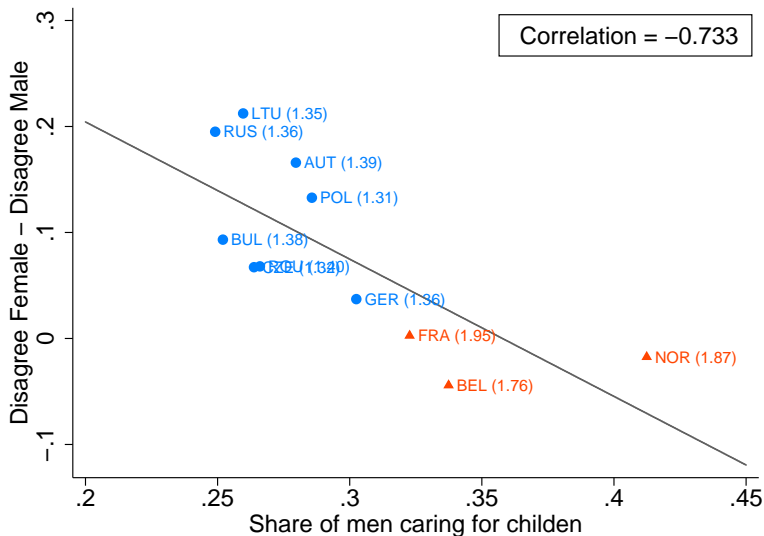
- ▶ Fertility outcomes available for Austria, Bulgaria, Czech Republic, France, Germany, Lithuania, and Russia
- ▶ Regress birth outcome on constant, SHE YES/HE NO, SHE NO/HE YES, and AGREE
- ▶ Result for couples with **two children**:

	Coefficient	Std. Error
SHE YES/HE NO	0.06***	(0.02)
SHE NO/HE YES	0.03*	(0.02)
AGREE	0.30***	(0.03)

Fact 3:

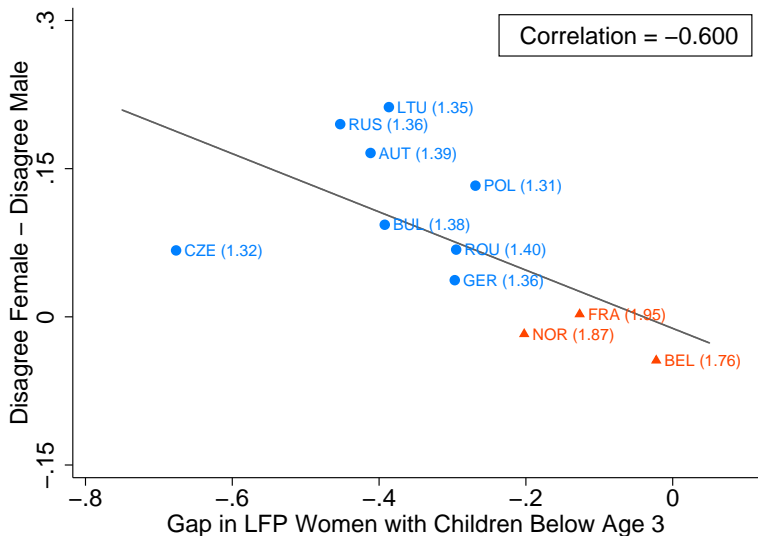
The extent of disagreement is related to the  
distribution of child care

# GGP Data on Fertility Intentions and Childcare

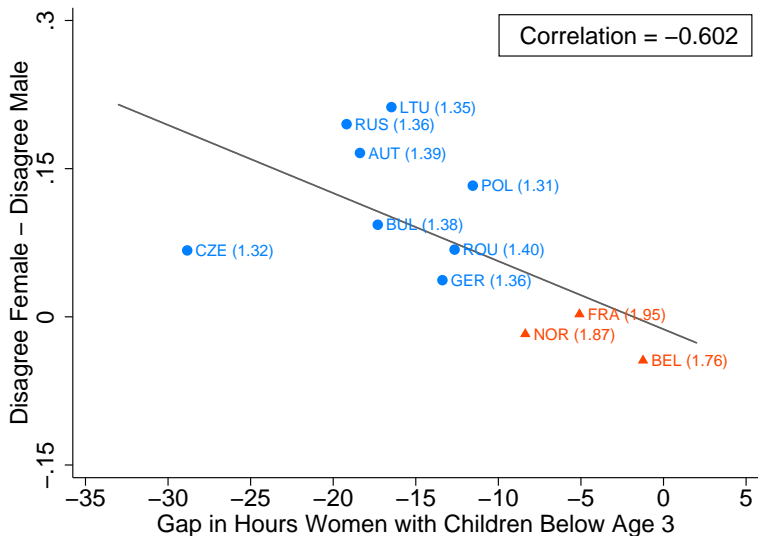




# GGP Data on Fertility Intentions and Labor Supply



## GGP Data on Fertility Intentions and Hours



## A Bargaining Model of Fertility Choice

# Family Setup

- ▶ Couple consists of wife  $f$  and husband  $m$
- ▶ Both spouses earn wages  $w_f$  and  $w_m$
- ▶ Decide about
  - ▶ consumption allocation  $c_f$  and  $c_m$  and
  - ▶ whether to have a child,  $b \in \{0, 1\}$
- ▶ Child creates costs  $\phi$

# Family Setup

- ▶ Preferences of spouse  $g \in \{f, m\}$  are:

$$u_g(c_g, b) = c_g + b \cdot v_g,$$

- ▶ Cooperative family budget constraint:

$$c_f + c_m = (1 + \alpha) \cdot (w_f + w_m - b \cdot \phi)$$

- ▶ Nash bargaining with equal weights

# Mechanics of Nash-Bargaining with Equal Weights

- ▶ Total amount of available utility:

$$U = u_f(c_f, b) + u_m(c_m, b)$$

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- ▶ **Outside Options**:  $\bar{u}_f$  and  $\bar{u}_m$   
→ non-cooperation (Lundberg/Pollak 1993)

- ▶ Bargaining **outcome**:

$$U_g = \bar{u}_g + \frac{1}{2} \cdot [U - \bar{u}_f - \bar{u}_m]$$



## Case 1: Commitment

- ▶ **General time line:** first the kid, then consumption
- ▶ **Simultaneous** decision about fertility and consumption
- ▶ Can fully commit to consumption plan after kid was born
- ▶ **Outside options:** Work and have no kid

$$\bar{u}_f = w_f \quad \text{and} \quad \bar{u}_m = w_m$$

# Outcome Under Commitment

- ▶ The bargaining solution is:

$$\begin{aligned}U_f &= w_f + \frac{\alpha}{2} (w_f + w_m - \phi b) + \frac{b}{2} (v_f + v_m - \phi) \\U_m &= w_m + \underbrace{\frac{\alpha}{2} (w_f + w_m - \phi b)}_{\text{Surplus from Consumption}} + \underbrace{\frac{b}{2} (v_f + v_m - \phi)}_{\text{Surplus from Fertility}}\end{aligned}$$

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- ▶ Couple will have a child if:

$$v_f + v_m \geq \phi(1 + \alpha)$$

- ▶ Couple agrees on fertility and choice is efficient

## Case 2: No Commitment

- ▶ Two-stage decision **without commitment**:
  1. Decide on fertility
  2. **Ex-post** bargaining over consumption given fertility choice
- ▶ Solve backwards
- ▶ Outside options in **second stage** (as function of  $b$ ):

$$\bar{u}_f(b) = w_f + b [v_f - \chi_f \phi],$$

$$\bar{u}_m(b) = w_m + b [v_m - \chi_m \phi]$$

with fixed cost shares  $\chi_f + \chi_m = 1$

## Outcome Without Commitment

- ▶ Ex-post utilities **without child**:

$$U_f(0) = w_f + \frac{\alpha}{2} (w_f + w_m)$$

$$U_m(0) = w_m + \frac{\alpha}{2} (w_f + w_m)$$

- ▶ Ex-post utilities **with child**:

$$U_f(1) = w_f + v_f - \chi_f \phi + \frac{\alpha}{2} (w_f + w_m - \phi),$$

$$U_m(1) = w_m + v_m - \chi_m \phi + \frac{\alpha}{2} (w_f + w_m - \phi)$$

- ▶ Spouses still share consumption surplus equally, but partners are **not compensated for reduction in outside option**

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- ▶ Spouses still share consumption surplus equally, but partners are **not compensated for reduction in outside option**

## Fertility Choice Without Commitment

- ▶ Spouses have to agree for child to be born:

$$b = \begin{cases} 1 & \text{if } U_f(1) \geq U_f(0) \text{ and } U_m(1) \geq U_m(0) \\ 0 & \text{otherwise} \end{cases}$$

- ▶ Wife agrees to birth if:

$$v_f \geq \left( \chi_f + \frac{\alpha}{2} \right) \phi$$

- ▶ Husband agrees to birth if:

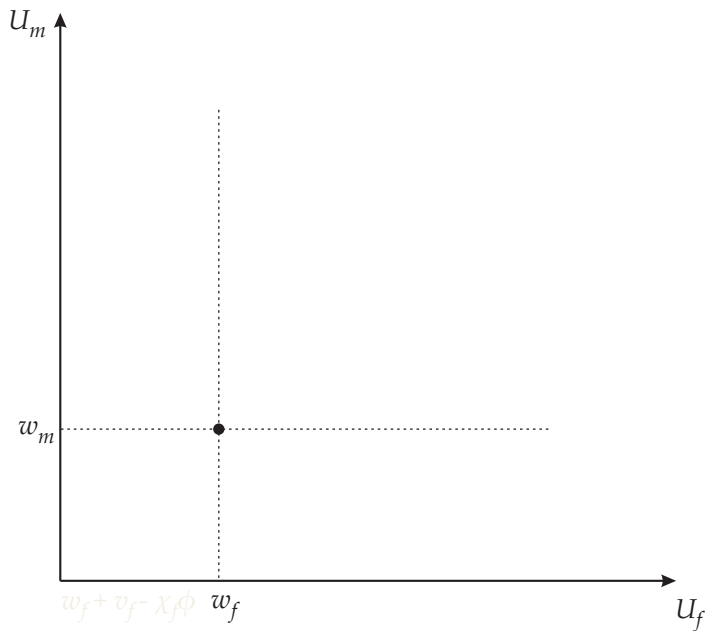
$$v_m \geq \left( \chi_m + \frac{\alpha}{2} \right) \phi$$

- ▶ Disagreement is possible and outcome may be inefficient

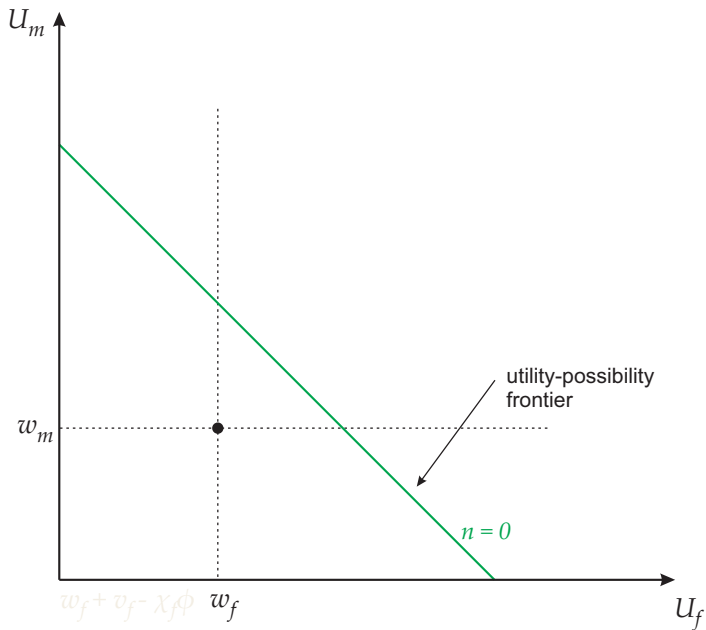


# Graphical Representation

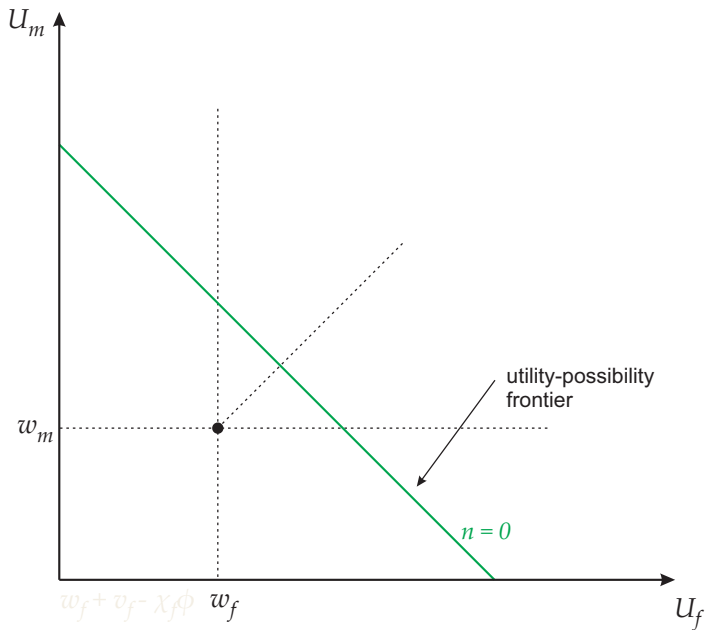
# Child Bearing Decisions With and Without Commitment



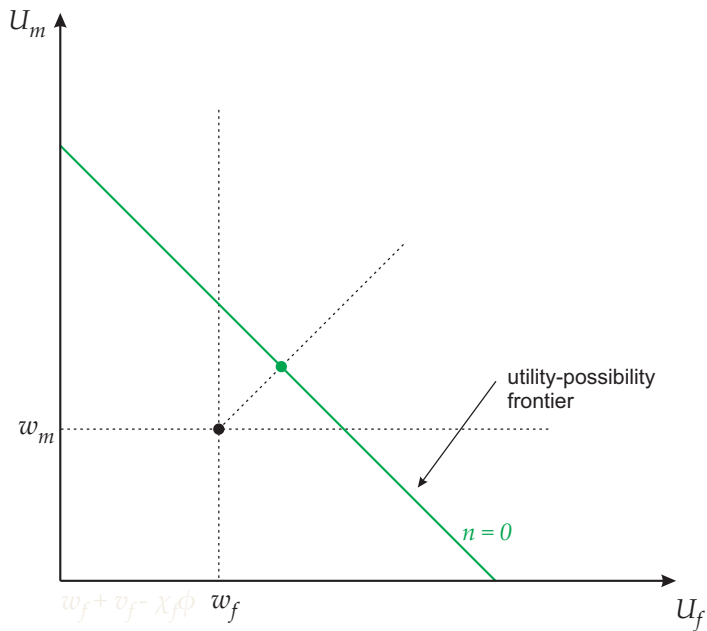
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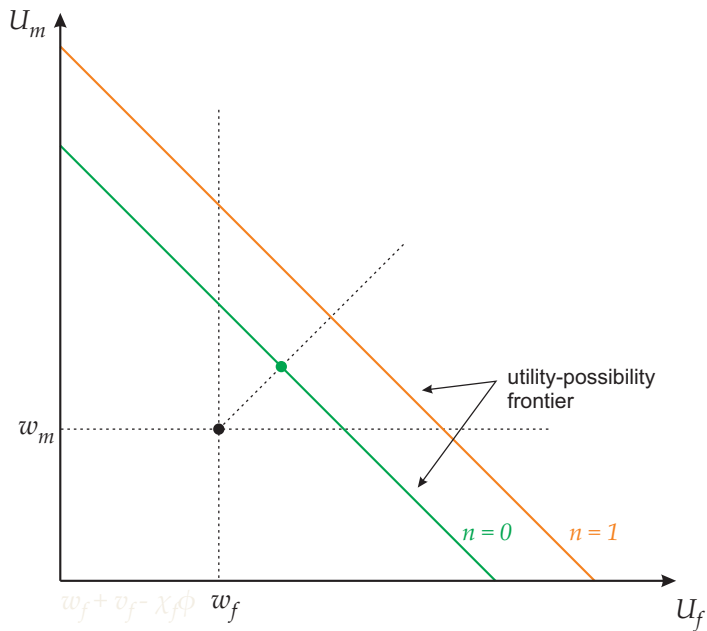
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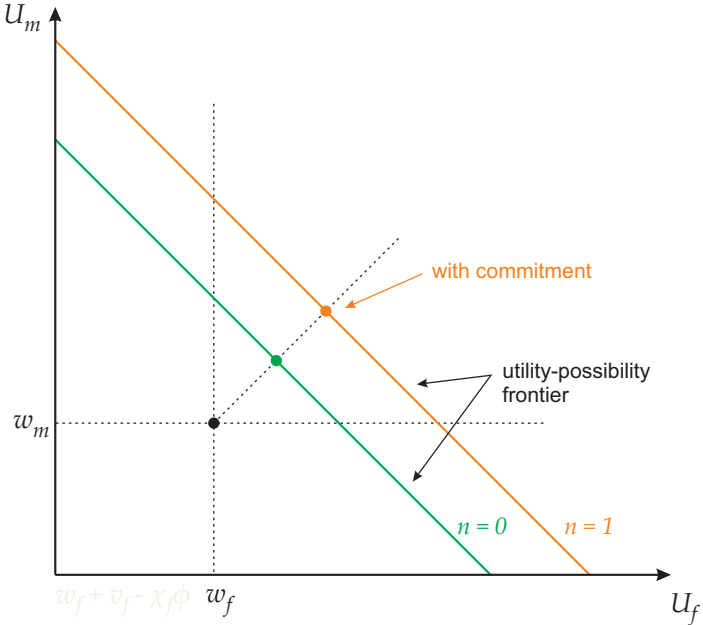
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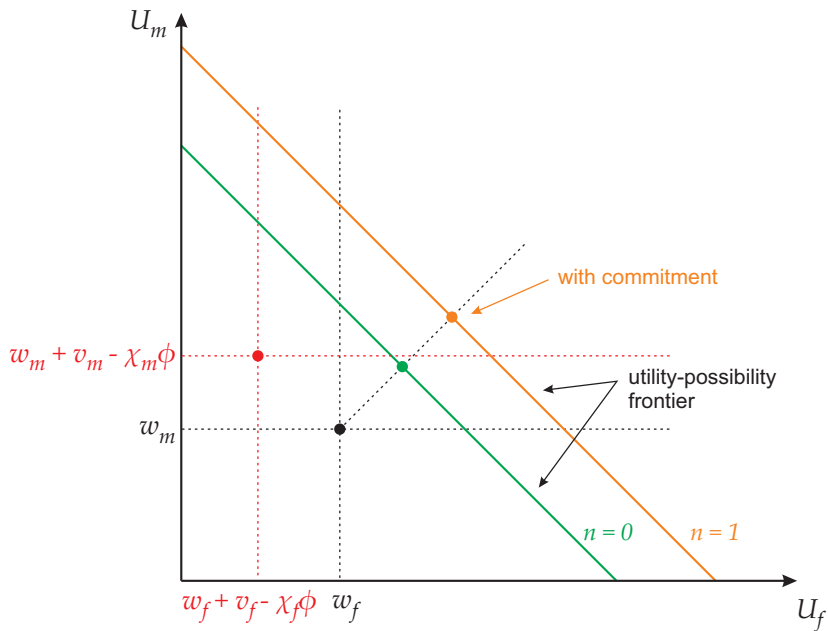
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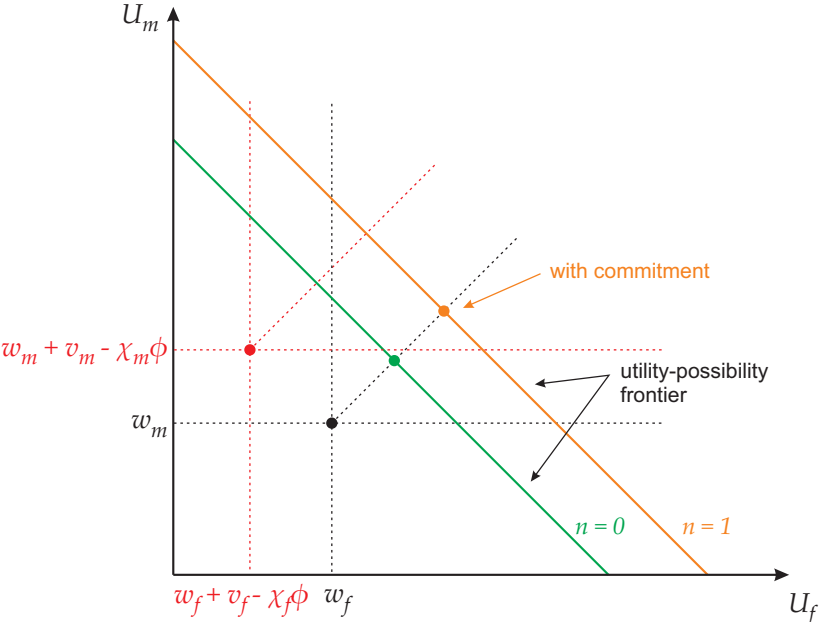


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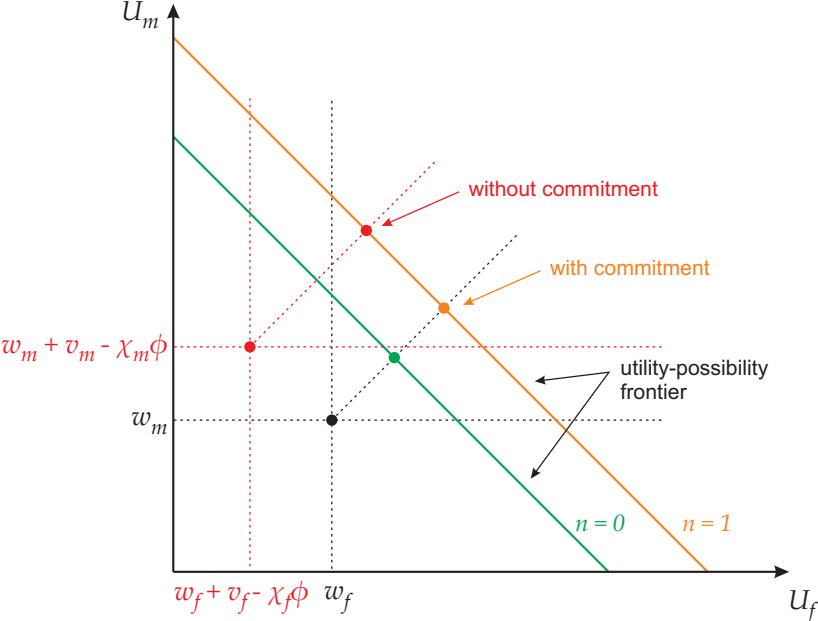




# Child Bearing Decisions With and Without Commitment



# Child Bearing Decisions With and Without Commitment



## Towards a Quantitative Model

- ▶ Consider impact of targeted subsidy on fertility when there are many couples with a distribution of preferences
  - ▶ Impact depends on density of preference distribution
  - ▶ Impact depends on which partner is pivotal for decision
- ▶ Consider impact of child subsidy on timing of births versus total number of births
  - ▶ Impact depends on persistence of disagreement
- ▶ Additional features of quantitative model
  - ▶ Female labor supply decision
  - ▶ Partial commitment

## A Quantitative Model

# The Quantitative Model

- ▶ Model period is three years
- ▶ Couples fertile until age 43
- ▶ Utility from children is stochastic and evolves over time
- ▶ Probability of birth conditional on intentions, but exogenous
- ▶ Two types of female education  $e \in \{hs, co\}$
- ▶ Additional wage heterogeneity  $w_f \sim \log N(\mu_{w,e}, \sigma_w^2)$

## Cost of Having Children

- ▶ Cost of children linear in the number of kids  $n$
- ▶ Three types of costs:
  1. **Utility** cost:  $\phi_u$  → split according to  $\chi_f$  and  $\chi_m$

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  3. **Child care** cost:  $\phi_y$  → depends on female labor supply  $1 - h$
- ▶ Child care cost only for children age 3 and below
- ▶ Total **material cost** of having children

$$k(h) = \phi_c + \underbrace{h \cdot w_f + (1 - h) \cdot w_y}_{=\phi_y}$$

# Preferences

- ▶  $n \leq 3$  is total number of existing children
- ▶ Raise children for  $H = 6$  periods (18 years)
- ▶ State vector of a couple:

$$\mathcal{S} = (w_f, w_m, v_f, v_m, a_1, a_2, a_3),$$

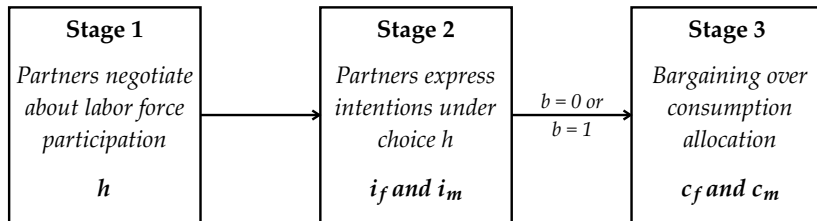
- ▶ Utility of spouse  $g$ :

$$V_g^t(\mathcal{S}) = E \left[ u(c_g, v_g, b) + \beta V_g^{t+1}(\mathcal{S}') \right]$$

with

$$u(c_g, v_g, b) = c_g + b \cdot (v_g - \chi_g \cdot \phi_u)$$

# The Within Period Game



## Stage 3: Bargaining Game

- ▶ Nash bargaining as in static model
- ▶ Outside options:

$$\bar{u}_f = (1 - bh)w_f + b \cdot [v_f - \chi_f\phi_u - 0.5(\phi_c + (1 - h)w_y)]$$

$$\bar{u}_m = w_m + b \cdot [v_m - \chi_m\phi_u - 0.5(\phi_c + (1 - h)w_y)]$$

## Stage 2: Fertility Intentions

- ▶ Fertility intentions:

$$i_g = I \left\{ E \left[ u(c_g, v_g, 1) + \beta V_g^{t+1}(\mathcal{S}') \mid b = 1 \right] - E \left[ u(c_g, v_g, 0) + \beta V_g^{t+1}(\mathcal{S}') \mid b = 0 \right] \geq 0 \right\},$$

- ▶ Probability of having a child given by function:

$$\kappa_e(i_f, i_m, n)$$

taken directly from GGP data

# Stage 1: Female Labor Force Participation

- ▶ Efficient choice:

$$h_{\text{eff}} = \begin{cases} 1 & \text{if } w_f < w_y \\ 0 & \text{otherwise} \end{cases}$$

- ▶ If under  $h_{\text{eff}}$  one partner is in favor of child, other not:
  - ▶ Partner who is in favor can offer a different  $h \in [0, 1]$
  - ▶ Make other partner indifferent between having baby or not
  - ▶ Not always possible to make such an offer

# Dynamic Model Component

- ▶ Fertility preferences drawn from uniform distribution
  - ▶ gender and education specific means
  - ▶ gender specific densities/variances
  - ▶ correlation  $\rho$  between spouses
- ▶ Wages drawn from log-normal distribution with
  - ▶ education specific means
  - ▶ common variance
- ▶ If  $b = 0$ , retain preferences with probability  $\pi$
- ▶ If  $b = 1$ , draw new preferences

## Parameter Choice



## Matching the Model to the Data: Exogenous Parameters

<i>Description</i>	<i>Parameter</i>	<i>Value</i>
Time preference rate	$\beta$	0.95
Economies of scale	$\alpha$	0.40
Distribution of utility cost	$\chi_m$	0.31
Monetary cost of children	$\phi_c$	€ 5000 p.a.
Wage of female partner	$\mu_{w,e}$	1.00 1.50
Fraction going to college		0.25
Birth probabilities	$\kappa_e(i_f, i_m, n)$	from GGP

# Matching the Model to the Data: Endogenous Parameters

1. Means and correlation of fertility preferences + utility cost:  
Match agreement shares by number of existing children
2. Persistence of fertility preferences over time:  
Match repeated observation of intentions for people who don't have a child birth between waves 1 and 2
3. Cost of external child care + variance of wages:  
Labor force participation of women with and without children under age 3

# Matching the Model to the Data: Endogenous Parameters

4. Key parameter: Gender-specific densities  $d_f$  and  $d_m$
- ▶ Determine how strongly intentions react to  $\chi_g$
  - ▶ Exploit variation across low-fertility countries
  - ▶ Vary  $\chi_m$  from 0.28 to 0.34; adjust  $w_y$  to match predicted LFP of mothers; and match regression of male on female intentions across countries
  - ▶ Implies higher density for women

## Estimated Parameters

<i>Description</i>	<i>Parameter</i>	<i>Value</i>	
		<i>High school</i>	<i>College</i>
Mean women first child	$\mu_{f,e,1}$	5.07	5.78
Mean women second child	$\mu_{f,e,2}$	1.79	3.06
Mean women third child	$\mu_{f,e,3}$	-0.15	0.05
Std. dev. women	$\sigma_f$	3.07	
Mean men first child	$\mu_{m,e,1}$	3.64	4.85
Mean men second child	$\mu_{m,e,2}$	-6.44	0.00
Mean men third child	$\mu_{m,e,3}$	-15.54	-14.63
Std. dev. men	$\sigma_m$	12.72	
Correlation	$\rho$	0.93	
Persistence	$\pi$	0.29	
Child care cost	$w_y$	0.58	
Participation cost	$p_c$	0.36	
Std. dev. female wages	$\sigma_{w,e}$	0.89	0.94

## Model Fit

# 1. Fit for Fertility Intentions

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		<i>High school</i>					
		<i>n</i> = 0		<i>n</i> = 1		<i>n</i> = 2	
		He no	He yes	He no	He yes	He no	He yes
<i>Data</i>	She no	56.36	6.92	66.05	7.55	90.25	4.39
	She yes	5.55	31.16	4.29	22.10	2.31	3.05
<i>Model</i>	She no	55.67	5.51	68.37	7.25	85.62	6.35
	She yes	4.74	34.08	3.14	21.23	3.40	4.64

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		<i>College</i>					
		<i>n</i> = 0		<i>n</i> = 1		<i>n</i> = 2	
		He no	He yes	He no	He yes	He no	He yes
<i>Data</i>	She no	49.09	7.04	56.56	9.92	86.34	5.78
	She yes	6.37	37.50	5.08	28.45	3.29	4.58
<i>Model</i>	She no	50.20	5.55	59.76	8.66	84.84	6.92
	She yes	4.84	39.40	2.41	29.18	3.23	5.01

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## 2. Fit for Persistence over Time

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	<i>Data</i>		<i>Model</i>	
	He no	He yes	He no	He yes
She no	79.89	25.42	69.17	32.77
She yes	22.63	65.24	29.91	52.63

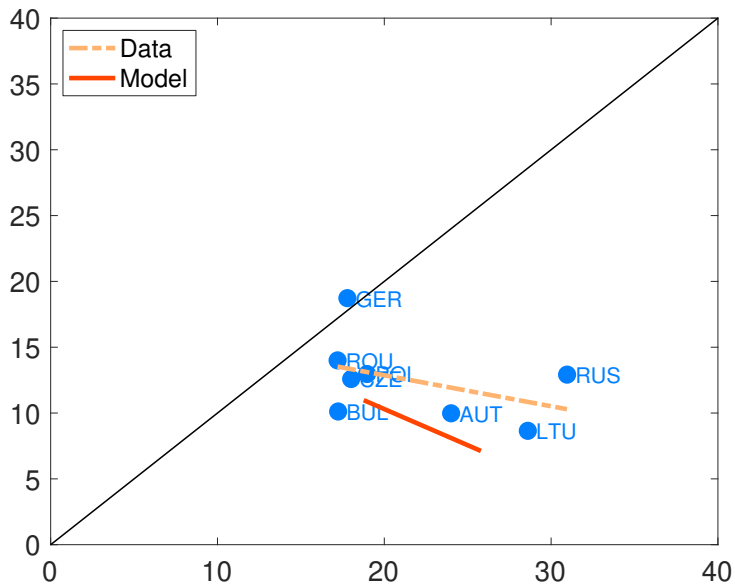
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### 3. Fit for Labor Force Participation

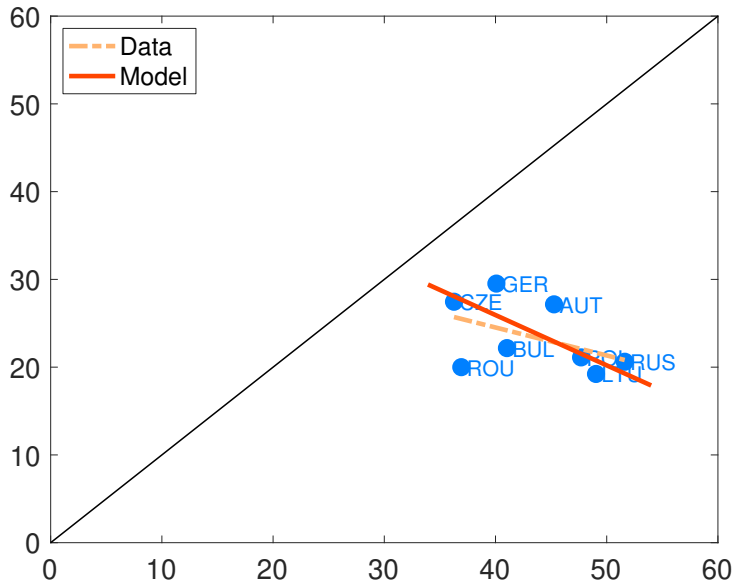
	<i>Data</i>		<i>Model</i>	
	Child under 3:		Child under 3:	
	No	Yes	No	Yes
High school	62.60	22.14	62.60	21.98
College	80.50	43.17	80.50	43.19



## 4. Fit for Variation in Agreement Shares: One Child



## 4. Fit for Variation in Agreement Shares: Two Children



## Predictions for Demographic Variables

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Total fertility rate	1.56
Fraction of couples without children	0.12
Fraction of couples with one child	0.39
Fraction of couples with two children	0.43
Fraction of couples with more than two children	0.06

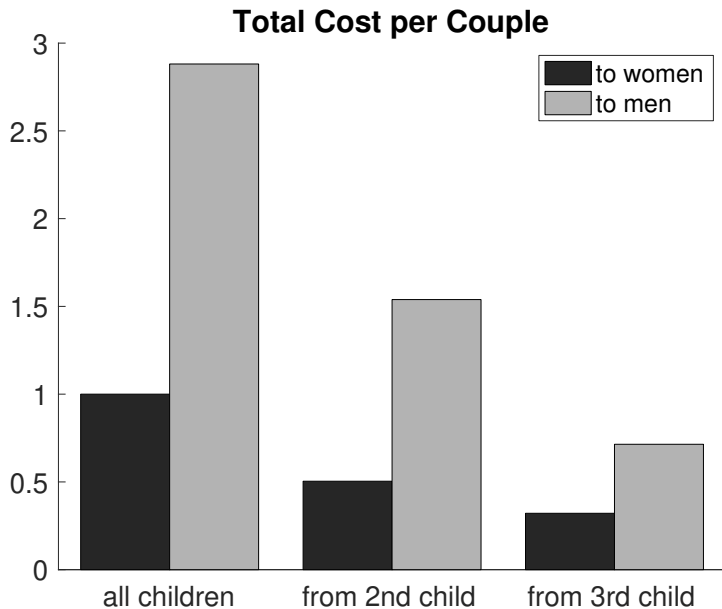
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# Policy Experiments

## Policy Experiment (Set 1)

- ▶ Increase fertility by either:
  - ▶ Giving subsidies directly to mothers
  - ▶ Giving subsidies directly to fathers
- ▶ Consider subsidy for all children or higher-order children
- ▶ Compare cost of raising total fertility rate by 0.1

## Total Cost of Subsidy



# Why Does Targeting Matter?

- ▶ Targeting towards **higher order children**:
  - ▶ Only small fraction of population actually childless
  - ▶ Targeting higher order children
    - concentrates subsidy on **marginal births**
- ▶ Targeting towards **women**:
  - ▶ Women have **more power** over fertility decision
  - ▶ Women **tend to be blockers** of fertility decision
  - ▶ Women **more responsive** to changes in cost of children

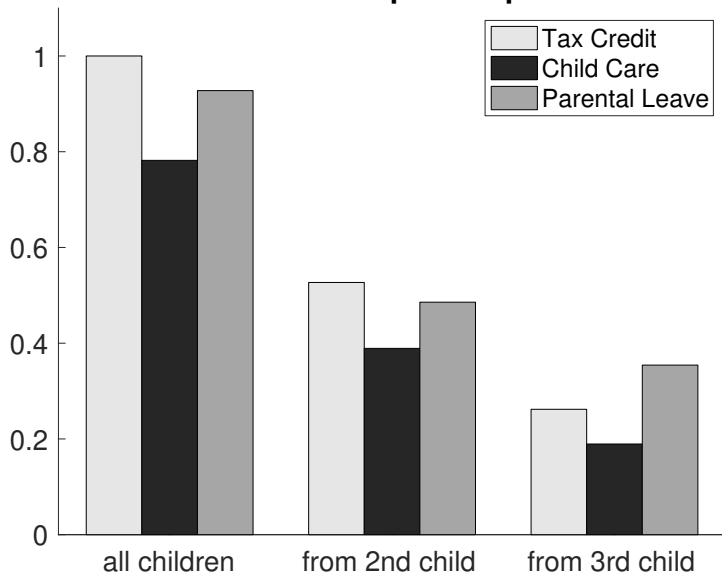
## Policy Experiment (Set 2)

- ▶ Real life policies:
  - ▶ Tax credits
  - ▶ Child care subsidies
  - ▶ Parental leave benefits
- ▶ Compare cost of raising total fertility rate by 0.1



# Total Cost of Real Life Policies

## Total Cost per Couple



Summing Up

# Conclusions

- ▶ **Agreement**, and lack thereof, is **crucial** determinant of fertility
- ▶ **Bargaining** model with **limited commitment** matches data well
- ▶ **Appropriate targeting** of pro-fertility policies hugely important

# Optimization Problem under Commitment

- ▶ The couple solves:

$$\max_{b, c_f, c_m} \left\{ (u_f(c_f, b) - \bar{u}_f)^{\frac{1}{2}} (u_m(c_m, b) - \bar{u}_m)^{\frac{1}{2}} \right\}$$

subject to:

$$c_f + c_m = (1 + \alpha) (w_f + w_m - \phi_u b)$$